## Mikrostruktursimulation der mechanischen Deformation von Fasermaterialien

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#### **Outline**

- Introduction and Motivation
- Image processing of 3D μCT scans
- Generation of representative volume elements for microstructures
- Microscale simulation and numerical homogenization
- Two-scale simulation



#### **Computer Aided Material Characterization**

Mechanical properties of fibrous materials (paper, paperboard, fiberboard) depend on a variety of microstructural parameters, e.g.:

- Fiber orientation (FO)
- Fiber length, curvature and thickness
- Fiber volume fraction
- → Measurements are complicated (or even impossible) and need to be done for many samples

A combination of measurements for simple specimens and simulations for varying complex microstructure parameters accelerates the material characterization of fibrous materials.

Nonlinear computations on realistic samples are expensive.

→ Fast microscale solvers necessary



#### **Computer Aided Material Characterization**

Measurement for specimen

- Isotropic behavior
- Rate dependent

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0.00e+00

Macro-scale simulation with LS-DYNA or PAMCRASH

- Arbitrary geometries
- Local mesh refinement

#### Microscale simulation

- Microstructure can be easily changed
- Effect of defects (pores) can be studied
- Complicated coupon test can be reduced



- Simulation results are used to derive effective material laws
- Anisotropic behavior
- Rate dependent

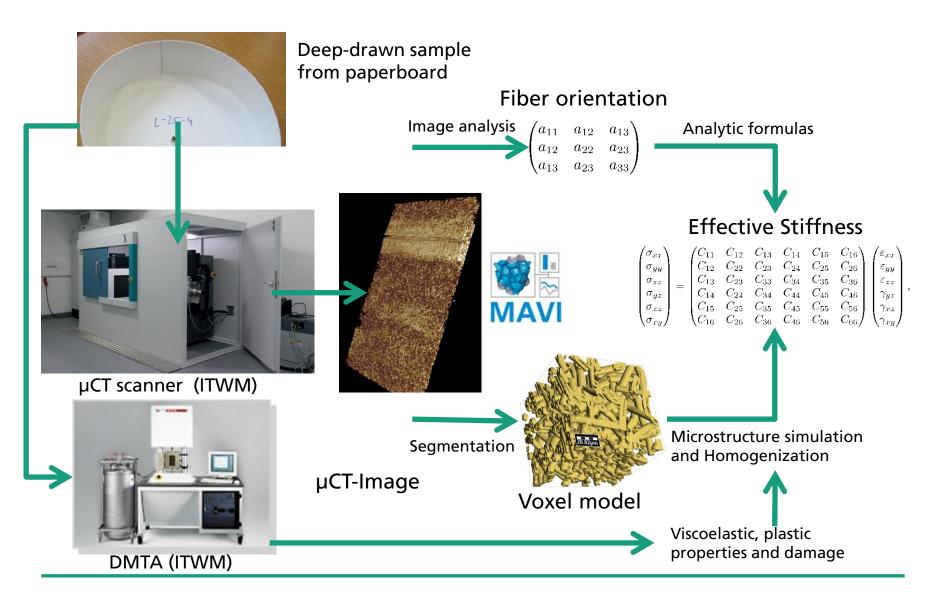
**Material CAE** 

MATH

**Structural CAE** 

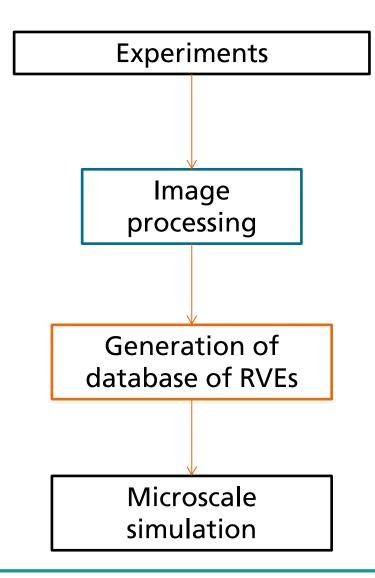


#### Material and microstructure characterization





#### Microstructure simulation technique



- -Bending and tensile test
- -μCT scans
- -Measurements of fiber length and thickness
- -Second order partial derivatives at Gaussian scale-space
- -Reconstruction of fiber orientation

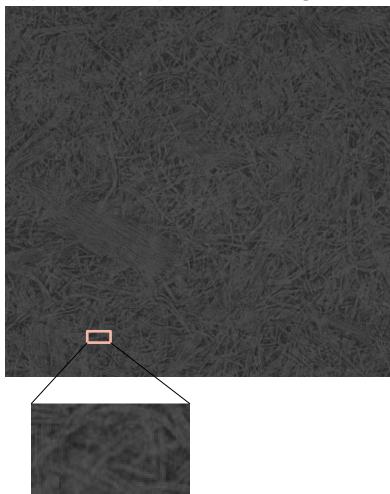
- -Simulation of fiber lay-down process
- -Compression of fiber network
- -Generation of hybrid voxel image

- -Simulation of 6 load cases
- -Numerical homogenization
- -Effective stiffness

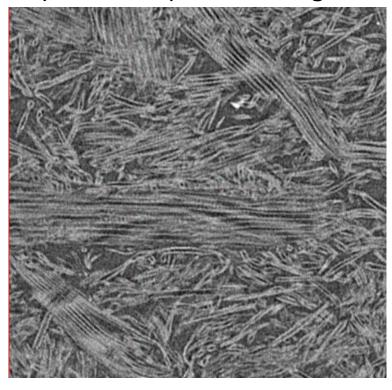


## **3D Imaging: Fiberboard**

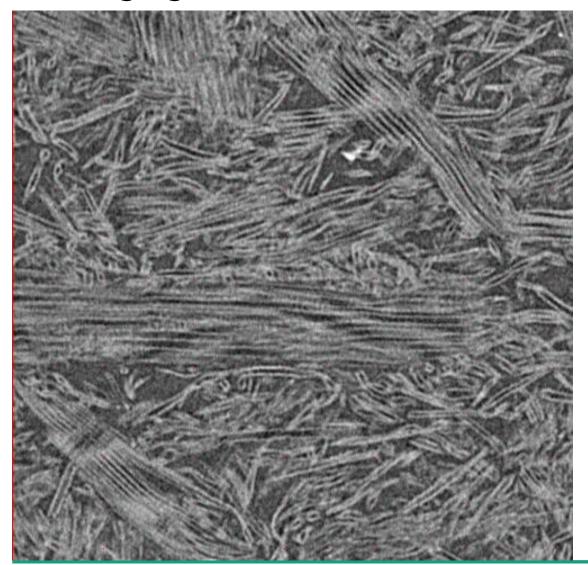
μCT with 8 μm voxel length

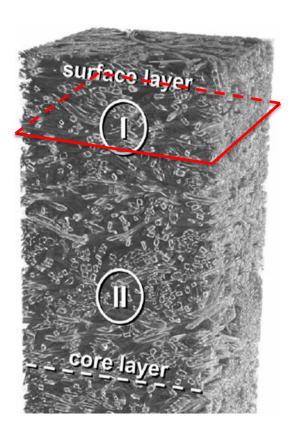


μCT with 4 μm voxel length



### **3D Imaging: Fiberboard**



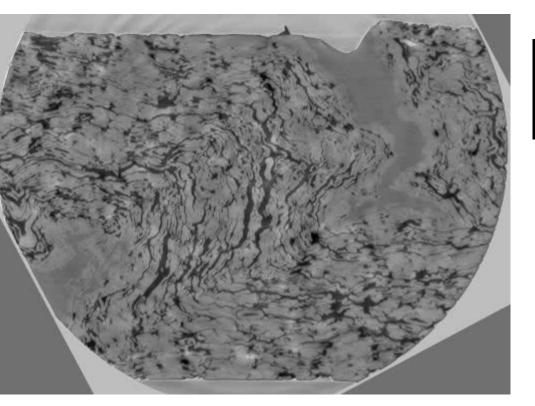


Resolution: 4 µm Diameter: 8 mm, Height: 6 mm

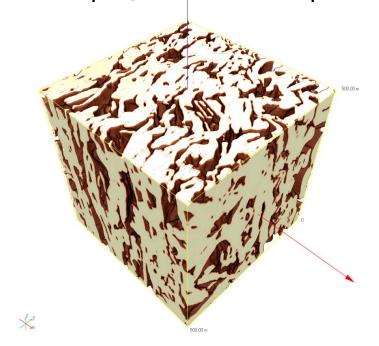
# 3D Imaging: Deep-drawn sample from paperboard (VM/VAT, TU Dresden)



Deep-drawn sample



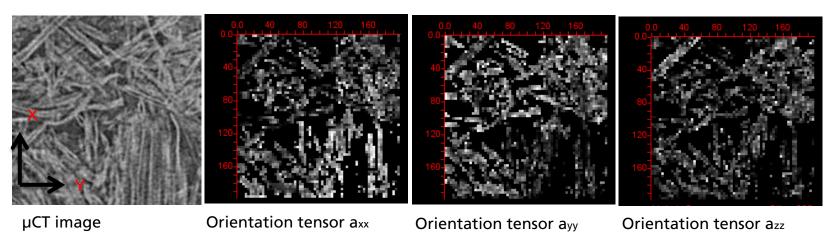
μCT, Resolution 9.7 μm



Synchrotron μCT, Resolution: 0.32 μm

#### Reconstruction of fiber orientation using direct approach

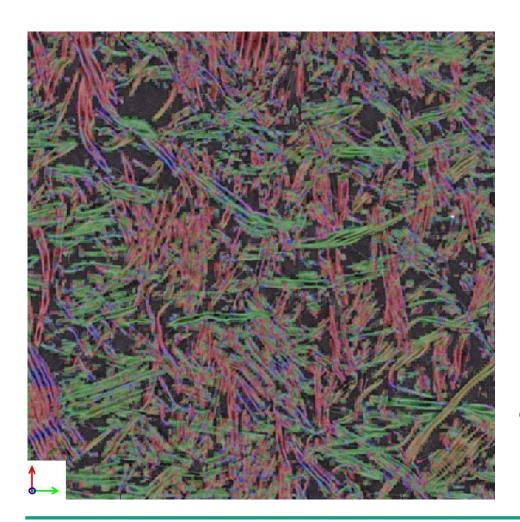
- We estimate the directional distribution by calculating the local fiber direction in each pixel.
- The eigenvector corresponding to smallest eigenvalue of the Hessian matrix is interpreted as local direction. Orientation tensor of fiber is obtained by averaging local directions over small sub-volumes.
- This is done using MAVI software.
- Because of complex fiber geometry and many fiber joints, this method overestimates fibers which are oriented in z direction.







#### **Reconstruction of fiber orientation**



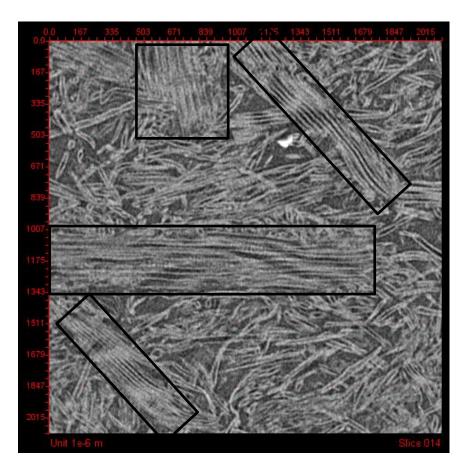
Local fiber direction map computed by using Hessian matrix.

Oliver Wirjadi





#### Analysis of fiber bundles (non-separated fibers)



Non separated fibers (fiber bundles) are analyzed using µCT image.

Fiber bundles are detected by observing that the local fiber orientations are more homogeneous within fiber bundles that elsewhere.

The solid volume fraction of fiber bundles is less than 10 %.

The average orientation of fiber bundles is similar to separated fiber orientation.

Resolution: 4 µm

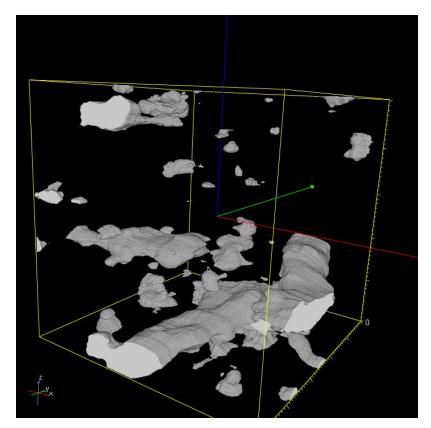
Diameter: 8 mm, height: 6 mm

Oliver Wirjadi

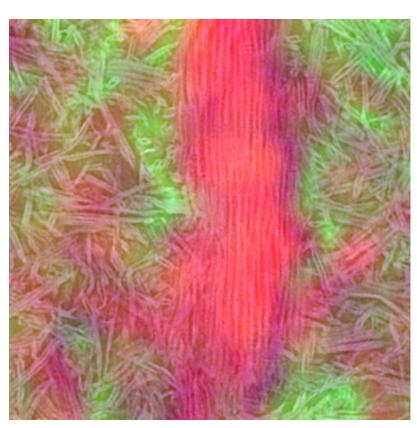




### **Segmentation of fiber bundles**



Fiber bundles in gray color



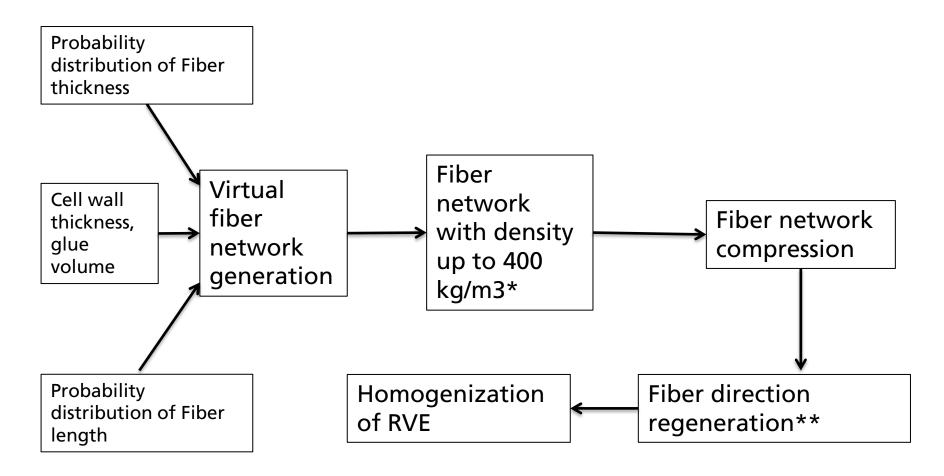
Fiber bundles in red color

Oliver Wirjadi





#### **Construction of representative volume elements (RVEs)**



\*Fiber overlapping is not allowed,

\*\*We assume that wood fibers are transversal isotropic



### Construction of representative volume elements (RVEs)



Simulation of mechanical compression



In-plane isotropic FO



In-plane isotropic FO





In-plane anisotropic FO



In-plane anisotropic FO

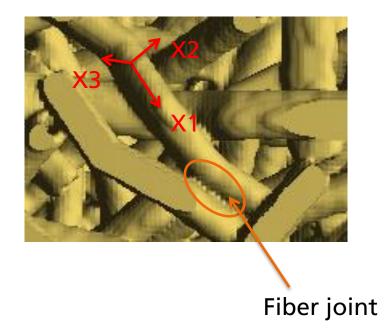






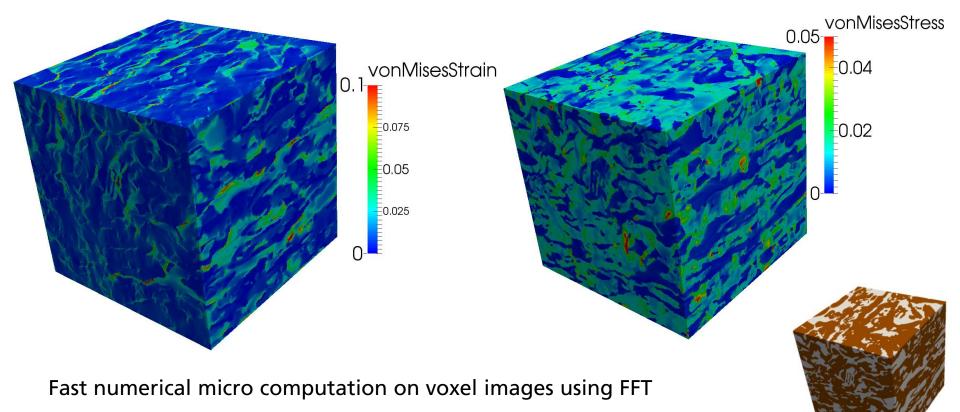
#### Failure criteria of wood fiber cell wall and glue

- 1. Axial strength criteria
- 2. Transversal strength criteria
- 3. Shear strength criteria



If the strength criteria is not satisfied, then damage variables are computed and the stiffness is reduced using damage variables.

#### **Computation of local stress and strain fields**

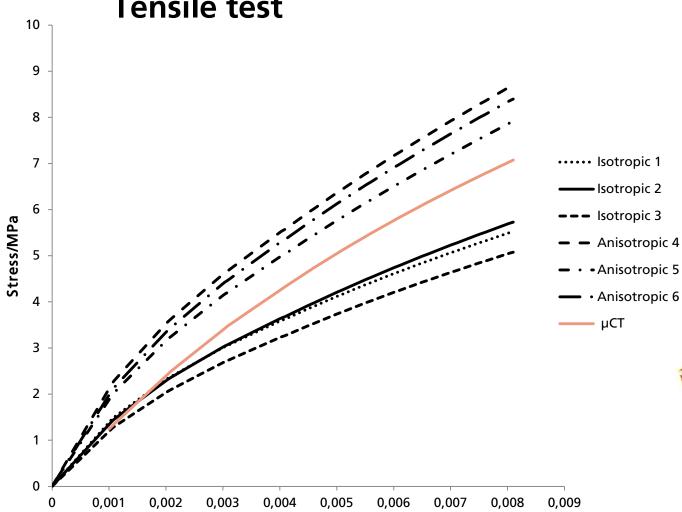


- No matrix assembling and storage
- No mesh generation
- PDE is reformulated as volume integral equation of Lippmann-Schwinger type
- $\Rightarrow$  Efficient computation of large microstructures (512 x 512 x 512 voxels)





### Results of numerical homogenization: Tensile test



Strain

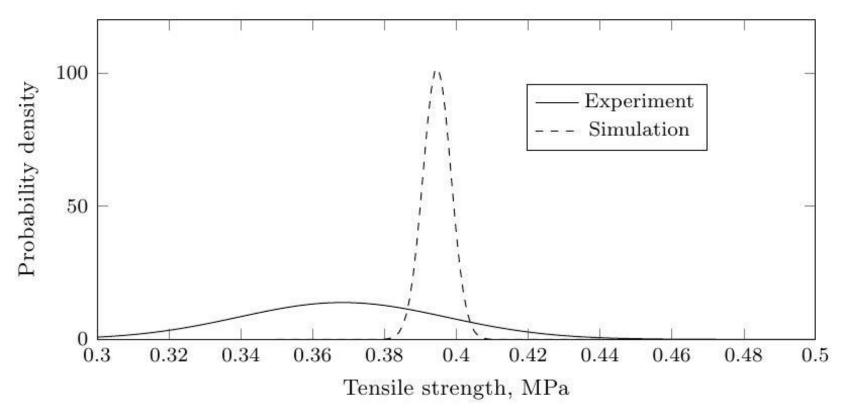








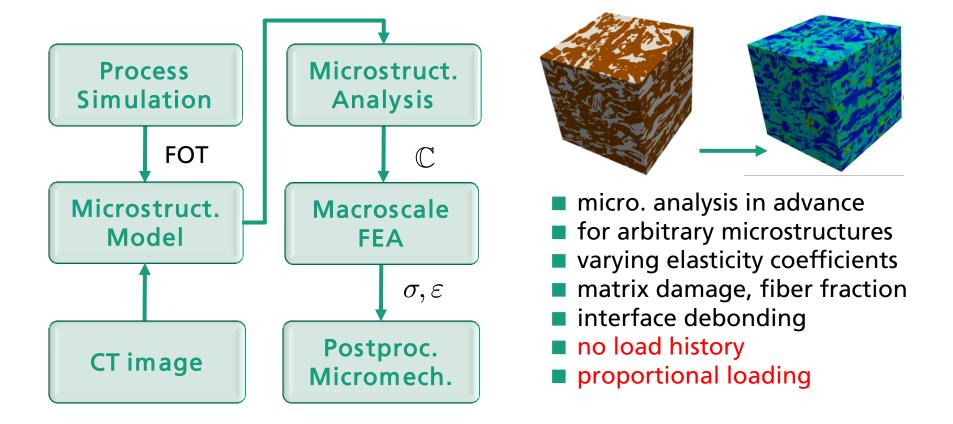
# Comparison of numerical and experimental results of tensile test (fiberboard)



Difference between average computed tensile strength and experimentally measured is less than 5%, however the standard deviations varies much more.



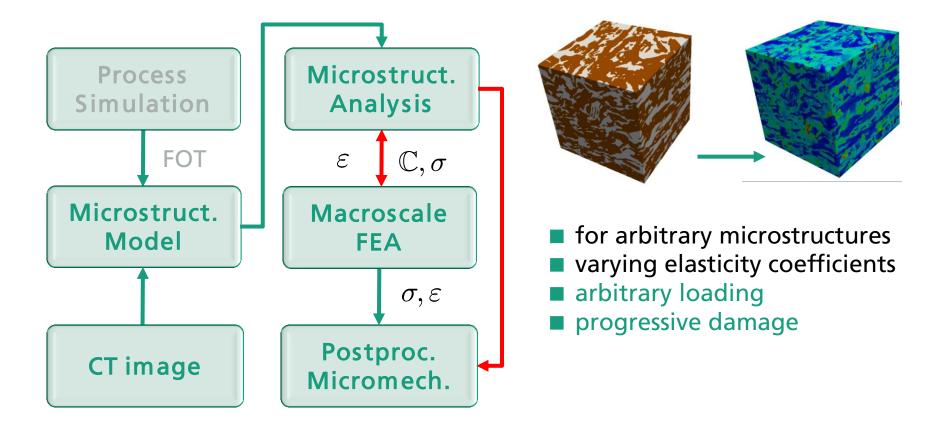
#### Two-scale simulation



- Analytical or discrete geometrical model of the microstructure
- Analytical or numerical microstructural analysis (linear or nonlinear)



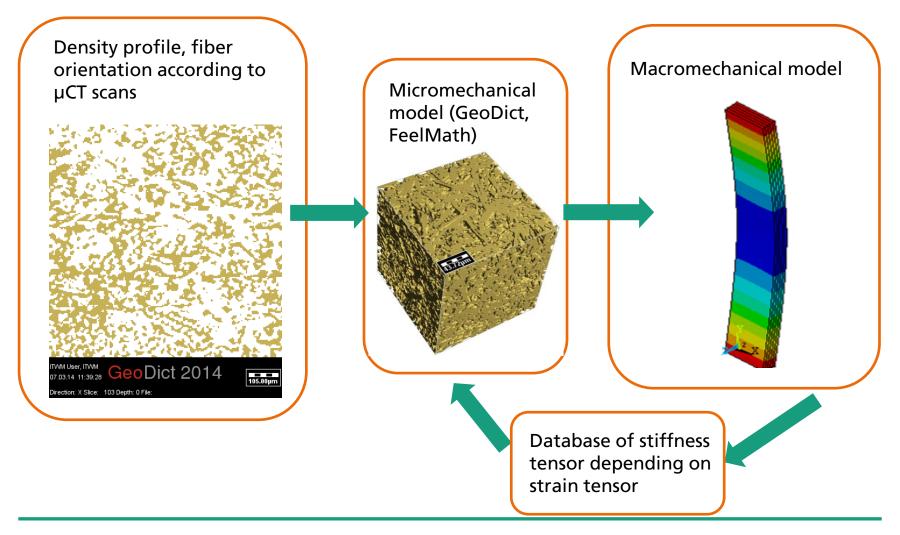
#### **Coupled two-scale simulation**



- Multiscale simulations are very expensive and therefore almost not accepted.
- → Fast "micro solvers" are needed.



### Two scale simulation of three point bending test (fiberboard)

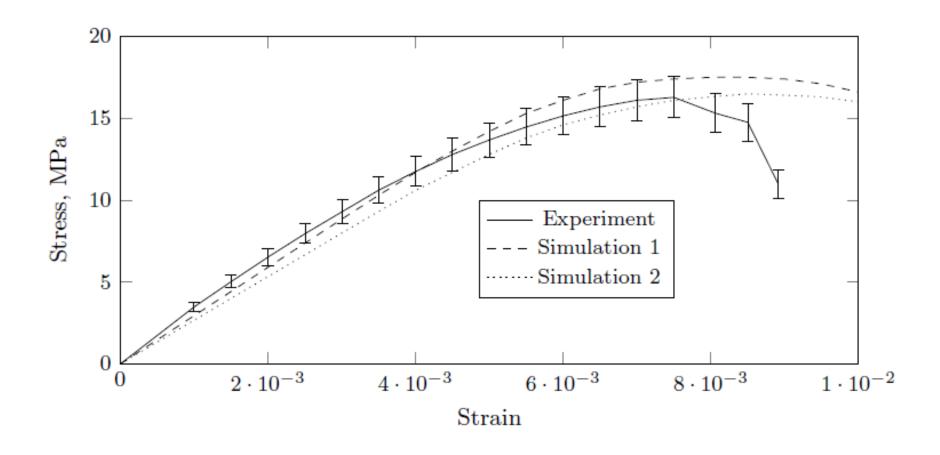








# Two scale simulation of three point bending test (fiberboard)





#### **Applications of FeelMath**

- Porous materials
  - Filter media (Oil and water filter)
  - Metallic knitted fabrics
  - Sanitary products
  - **Packaging**
  - Medium density fiberboards (MDF)
  - Rocks
  - Polymer foams
- **Composites** 
  - Short and long fiber reinforced plastics (CFRP + GFRP)
  - Metallic alloys (AlSi, MMC)
  - Steel reinforced concrete

- Nonlinear material behavior
  - **Plasticity**
  - Damage
  - Plasticity + Damage
  - Thermal expansion and shrinkage
  - Residual stresses
  - Creep
  - **UMAT-Interface**





#### The End

Sliseris J, Andrä H, Kabel M, Dix B, Plinke B, Wirjadi O, Frolovs G: Numerical prediction of the stiffness and strength of medium density fiberboards, Mechanics of Materials **79** (2014) 73-84

Thank you very much for your attention.

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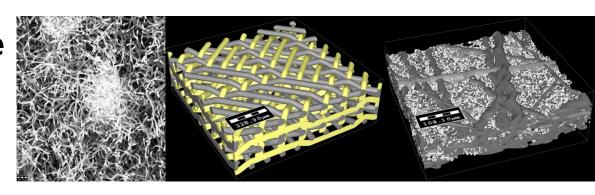
Generation of microstructures

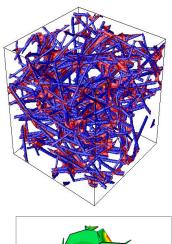


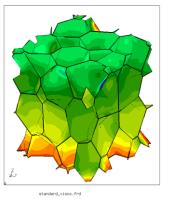


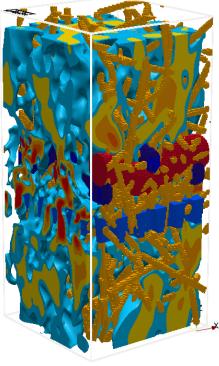
# Porous and Composite Material design

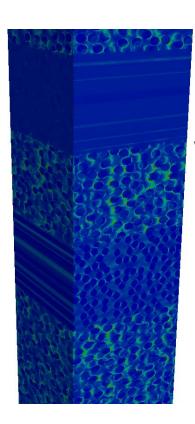
- Paper, cellulose material: permeability, capillarity
- Non-wovens (textiles): filter efficiency
- Weaves: flow resistance
- Foam: Heat or acoustic insulation material
- Sinter material: ceramics, MMC thermo-mech. behaviour
- Fibre reinforced composites: visco-elastic behavior, creep, fatigue, damage















## Virtual Material Laboratory Modules of the GeoDict Software

#### **Material Models**

- FiberGeo
- SinterGeo
- PaperGeo
- WeaveGeo
- GridGeo
- PackGeo
- PleatGeo
- PaperGeo
- LayerGeo
- FoamGeo
- GadGeo

#### **Property Computation:**

- FlowDict (single phase flow properties)
- AddiDict (particle transport)
- ElastoDict (effective elastic properties)
- ConductoDict (effective conductivity)
- DiffuDict (effective diffusivity)
- FilterDict (pressure drop, efficiency, life time)
- SatuDict (two phase flow properties)
- PoroDict (pore size measures)
- AcoustoDict (acoustic absorption)





Math2Market (M2M) is a spin-off company from





www.geodict.com

